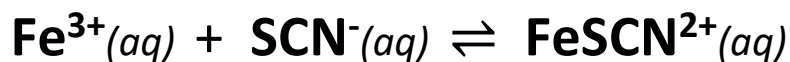


Spectrophotometric Determination of K_c

Purpose: To determine K_c for the reaction:

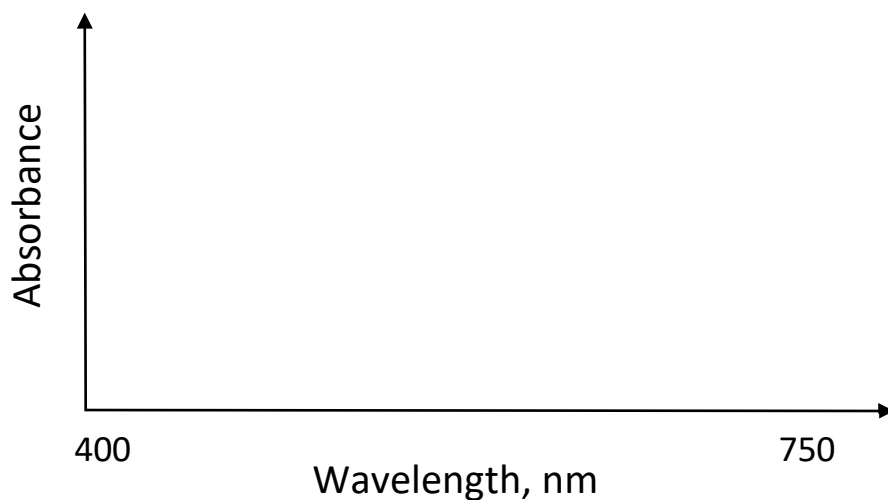


Colourless Reactants

Red-Orange Product

$$K_c = \frac{[\text{FeSCN}^{2+}]}{[\text{Fe}^{3+}][\text{SCN}^{-}]}$$

Part A: *Sketch Absorption Spectrum & Identify λ_{max} for $\text{FeSCN}^{2+}(\text{aq})$*



- *In the next two parts of the lab you will record absorbance values of FeSCN^{2+} at or very near λ_{max}*

Part B: Collect Data to Create Beer's Law Plot for $\text{FeSCN}^{2+}(\text{aq})$

- Use stock solution of 0.200 M $\text{Fe}(\text{NO}_3)_3$ dissolved in 0.50-M HNO_3
- Use stock solution of 0.00200 M KSCN
- Since $[\text{Fe}^{3+}] \gg [\text{SCN}^-]$, **the reaction will proceed essentially to completion.**
- One of the reactants will be consumed entirely (limiting reagent) and ICE tables can be filled in to determine $[\text{FeSCN}^{2+}]$ in these solutions
- Create five solutions in 50.0-mL volumetric flasks with the same initial $[\text{Fe}^{3+}]$ but with increasing $[\text{SCN}^-]$ to get increasing $[\text{FeSCN}^{2+}]$

Table 1: Preparing Five Standard Solutions of FeSCN^{2+}

Flask #	Volume of 0.200-M $\text{Fe}(\text{NO}_3)_3$, mL	Volume of 0.00200-M KSCN, mL	Total Volume in Flask after adding water
1	5.00	1.00	50.0
2	5.00	2.00	50.0
3	5.00	3.00	50.0
4	5.00	4.00	50.0
5	5.00	5.00	50.0

- Use **dilution calculations** along with the initial concentration of each stock solution, the volume of the solutions used in each flask, and the total volume in each flask to **calculate the initial $[\text{Fe}^{3+}]$ and $[\text{SCN}^-]$ in each flask.**
- **Set up an ICE table for the reaction in each of the five flasks** and use your initial concentrations to fill it in completely. The reactions are **complete**, so **one reactant will get used up completely in each ICE table.**
- **Determine $[\text{FeSCN}^{2+}]$ in each flask from your ICE tables** and enter those values in the table below, along with the **measured absorbance value** for each solution at λ_{max} .

Table 2: Absorbance values at λ_{max} for five FeSCN^{2+} solutions

	Flask 1	Flask 2	Flask 3	Flask 4	Flask 5
$[\text{FeSCN}^{2+}], \text{M}$					
Absorbance					

Create a Beer's Law Plot from this data. Graph Absorbance vs $[\text{FeSCN}^{2+}]$ and **determine the equation of the line of best fit** for the graph. You'll use this equation in Part 3.

Part C: Collect Equilibrium Data to Create ICE Tables and Find Kc

- Use stock solution of 0.00200 M $\text{Fe}(\text{NO}_3)_3$ dissolved in 0.50-M HNO_3
- Use stock solution of 0.00200 M KSCN
- Create five solutions in test tubes with the same initial $[\text{Fe}^{3+}]$ but with increasing $[\text{SCN}^-]$ to get increasing $[\text{FeSCN}^{2+}]$
- Since $[\text{Fe}^{3+}]$ and $[\text{SCN}^-]$ are similar in each test tube, **the reaction will NOT proceed to completion. Instead, equilibrium will be established with Fe^{3+} , SCN^- and FeSCN^{2+} present in measurable quantities.**
- After mixing the two stock solutions in each test tube, measure the absorbance of the FeSCN^{2+} in each test tube.

Table 3: Preparing Five Test Tubes with Equilibrium Mixtures

Tube #	Volume of 0.00200-M $\text{Fe}(\text{NO}_3)_3$, mL	Volume of 0.00200-M KSCN, mL	Total Volume in Flask after adding water
1	3.00	1.00	10.0
2	3.00	2.00	10.0
3	3.00	3.00	10.0
4	3.00	4.00	10.0
5	3.00	5.00	10.0

Table 4: Data & Results to Fill in ICE Tables and Calculate Kc

Tube #	Initial $[\text{Fe}^{3+}]$, M	Initial $[\text{SCN}^-]$, M	Absorbance of FeSCN^{2+}	Equilibrium $[\text{FeSCN}^{2+}]$, M
1				
2				
3				
4				
5				

- Use a dilution calculation to fill initial concentrations in the table
- Use the equation from your line of best fit on the Beer's Law plot to calculate the equilibrium $[\text{FeSCN}^{2+}]$ from the absorbance values
- Set up five ICE tables, fill them in and calculate Kc for each one